

A New Approach to the Transition Deflagration to Detonation (TDD) in Thermonuclear Supernovae

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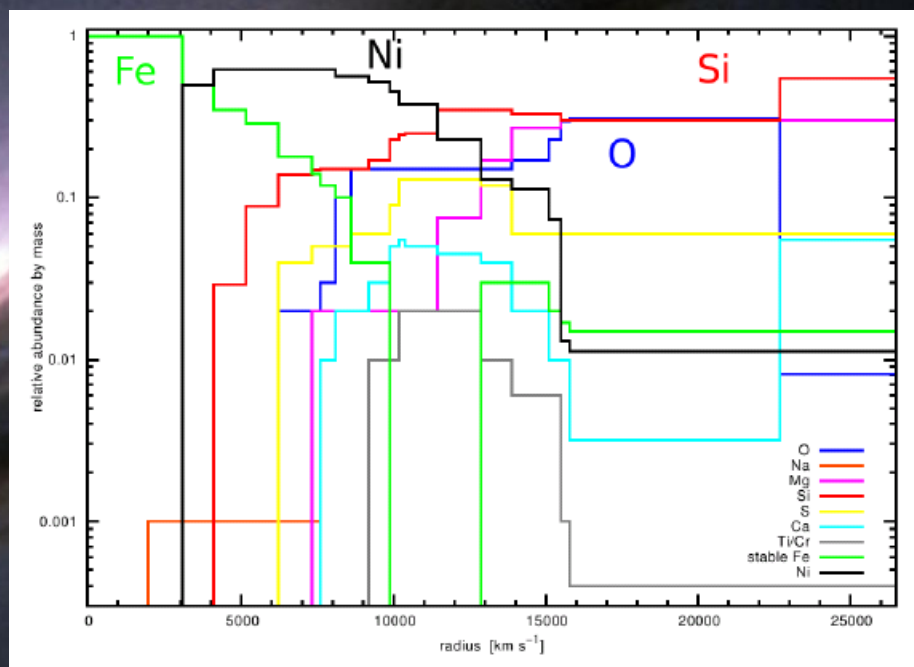
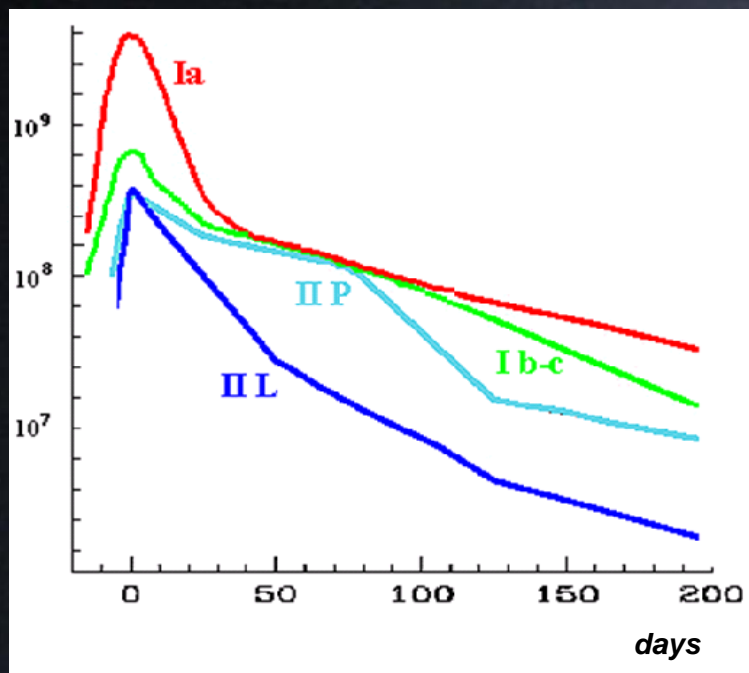
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What are Thermonuclear Supernovae ?

Two types of supernovae : Core-collapse and Thermonuclear

- SN Ia have similar light curves, powered by $^{56}\text{Ni} \rightarrow ^{56}\text{Co} \rightarrow ^{56}\text{Fe}$ decays.

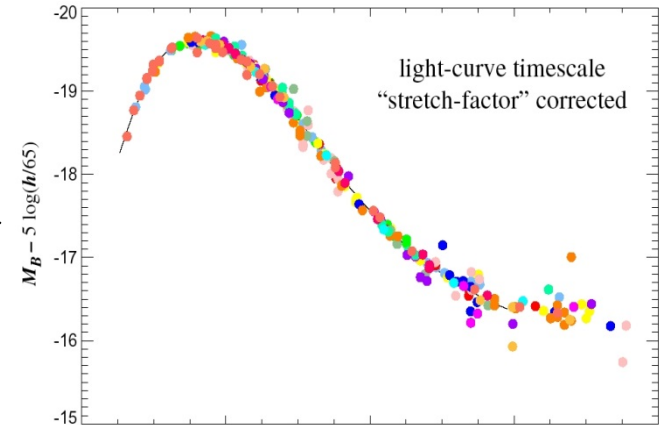
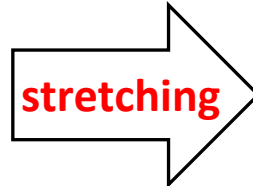
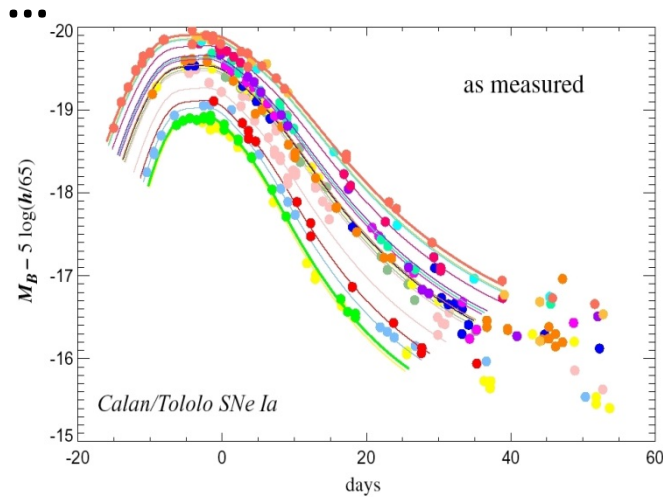
- SN Ia: no H in spectra, ^{28}Si and IME lines
SNIb, SNIc, SNIId : H lines in spectra.



Spectrotomography of a SN Ia
Hachinger et al. 2012

SN Ia empirical specificity

- SN Ia light curves are 'standardizable'

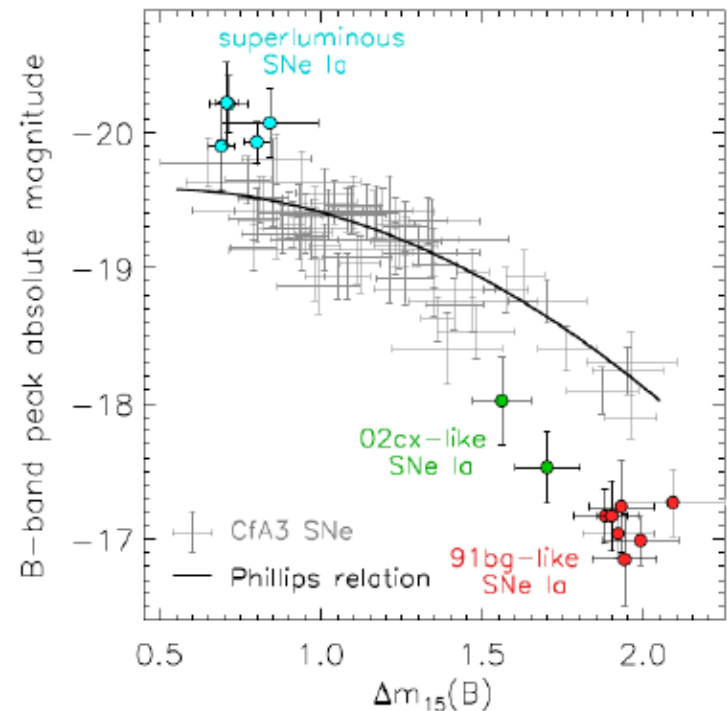


- ... with exceptions :

when « anomalous » SN Ia are excluded,
the dispersion of the Philipps relation :

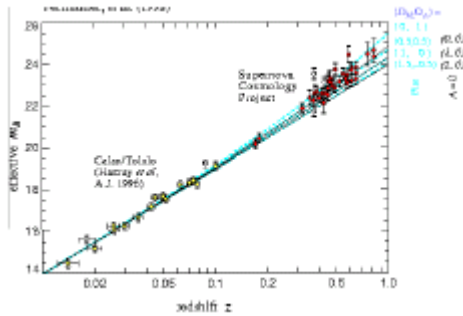
$$M_{max}(B) = -21.7 + 2.7\Delta m_{15}(B)$$

reduces to $\sigma = 0.11$

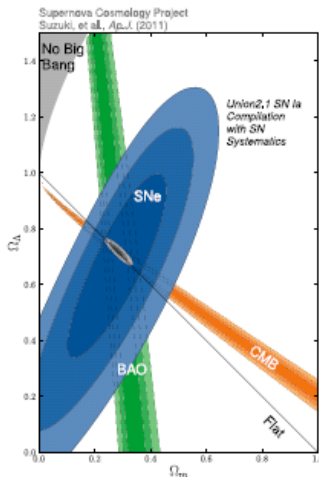


SN Ia and cosmology

- SN Ia revealed the acceleration of the expansion of the Universe
Perlmutter, Schmidt & Riess Nobel Prize 2011



- SN Ia provide complementary constraints to BAO and CMB for Λ CDM models



- But the determination of the Hubble constant from SN Ia (Riess et al., 2009)

$$H_0 = 72.4 \pm 3.4 \text{ km s}^{-1} \text{ Mpc}^{-1}$$

is in tension with the value obtained

by Planck:

$$H_0 = 67.3 \pm 1.2 \text{ km s}^{-1} \text{ Mpc}^{-1}$$

What are Theoretical Thermonuclear Supernovae ?

- Thermonuclear supernovae result from the thermonuclear explosions of a Carbon-Oxygen white dwarf

SN 2011fe (in M101) has a radius
 $R < 0.02 R_{\odot}$ (Bloom & al 2011)

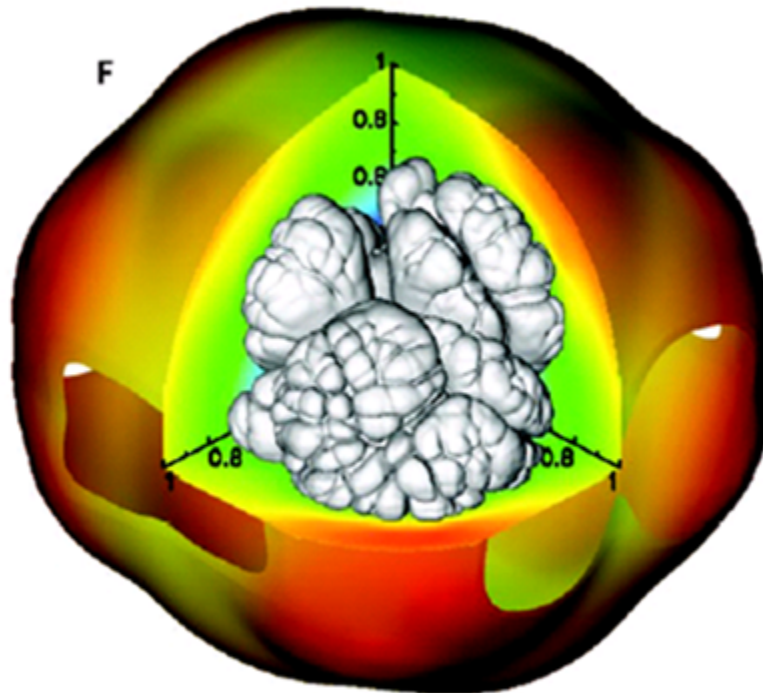
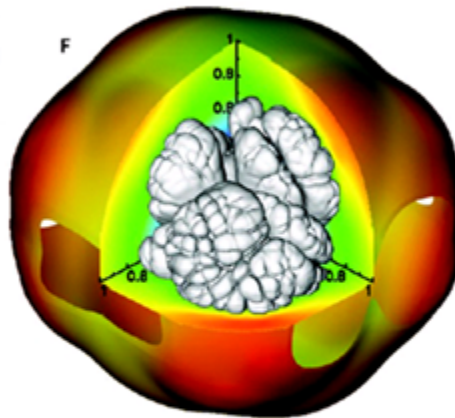
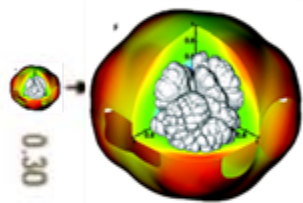
- Despite considerable numerical efforts, even the actual combustion regime is still uncertain (Calder et al. 2013)

- We propose a new mechanism as a contribution to the long-lasting problem of the **transition** from the **delagation** to the **detonation** (DDT) combustion regimes.

Deflagration (or Flame)

- Propagates through efficient electronic conduction and radiation
- Very subsonic ($\Delta P/P \ll 1$) \implies Inflation of the star \implies Synthesis of IME
- Unstable against Rayleigh-Taylor, etc. \implies Generation of acoustic energy

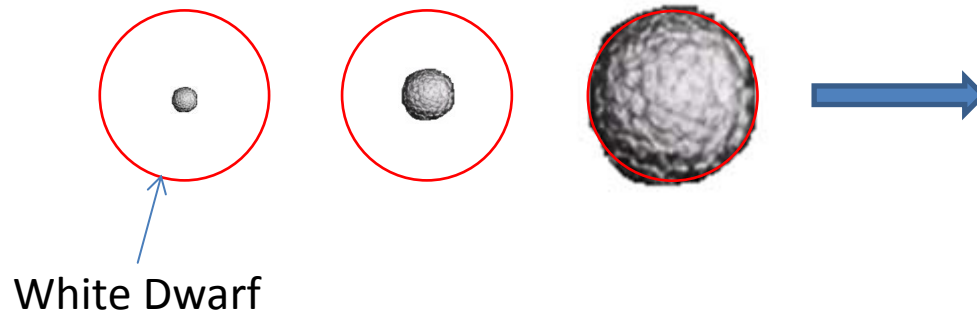
Vadim N. Gamezo et al.
Science **299**, 77 (2002)



Two Combustion Regimes

Detonation

- **Supersonic** : Propagates as a shock wave ($\Delta P/P > 1$), followed by combustion
- **No inflation of the star**
 - ⇒ **High density nucleosynthesis** ⇒ **most material incinerated to ^{56}Ni**
- **Weak cellular instabilities**



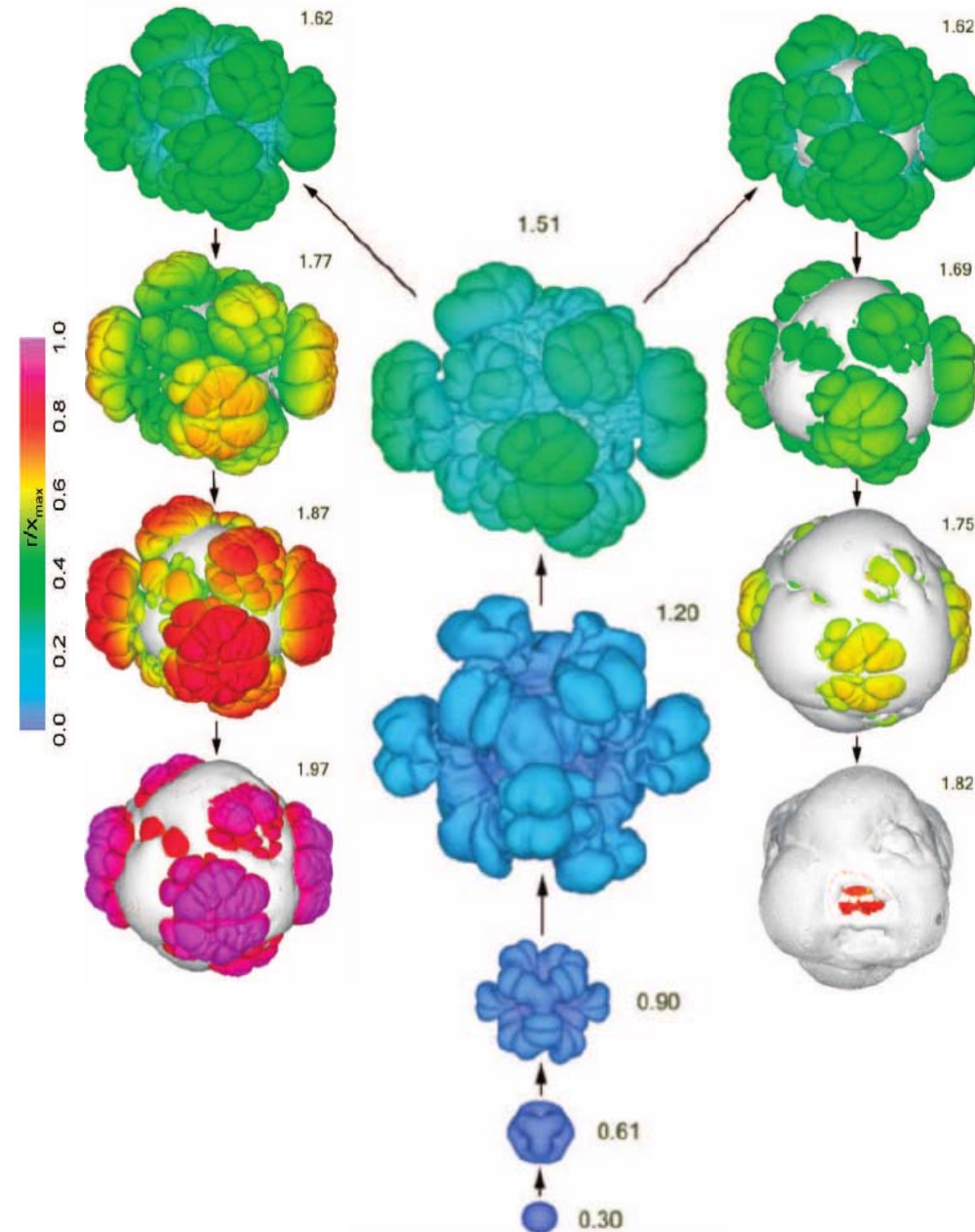
Detonations

- ↗ **Complete combustion (10^{51} erg)**
- ↗ **« Brighter-Slower » light curve correlation**
- ↓ **Synthesis of $1,4 M_{\text{sol}}$ {Fe}_{ENS}**
- ↓ **No intermediate mass elements {Mg, Si, S, Ar, Ca}**

Deflagrations

- ö **Nucleosynthesis :**
internal layers {Fe} – intermediate {Mg-Ca } – external {∅}
- ↓ **« Brighter-Faster » light curve correlation**
- ↓ **Slow velocity of the IME layers : 10 000 km/s vs. 25 000 km/s obs.**

Delayed Detonation Models



Combining ...

- A **deflagration** to expand the star
- A **detonation** to incinerate the remaining fuel

Consistent with nucleosynthesis and energetics if

- $\rho_{DDT} \sim 2 \times 10^7 \text{ g cm}^{-3}$

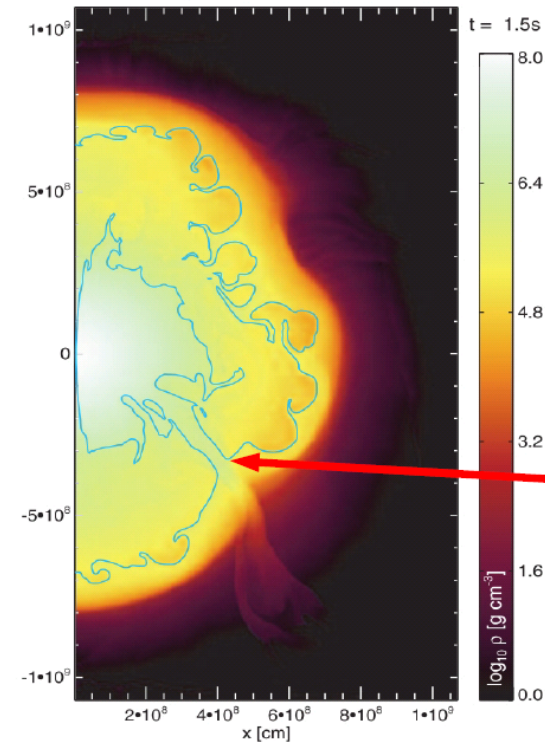
But ...

**The physical mechanism for
Deflagration to Detonation
Transition is still unknown !**

Models to Get a Detonation

Several models have been designed to obtain a detonation after an initial phase of deflagration and expansion

- Turbulence induced DDT (Khokhlov 1997)
- Gravitationally confined detonation (Plewa & al 2004)
- Pulsational detonation
- ...



**They all rely on the Zel'dovich
induction time gradient mechanism ...**

But on widely unresolved scales

Unconfined DDT ?

In unconfined media a DDT could be triggered through the Zel'dovich gradient mechanism (Zel'dovich & al. 1970)

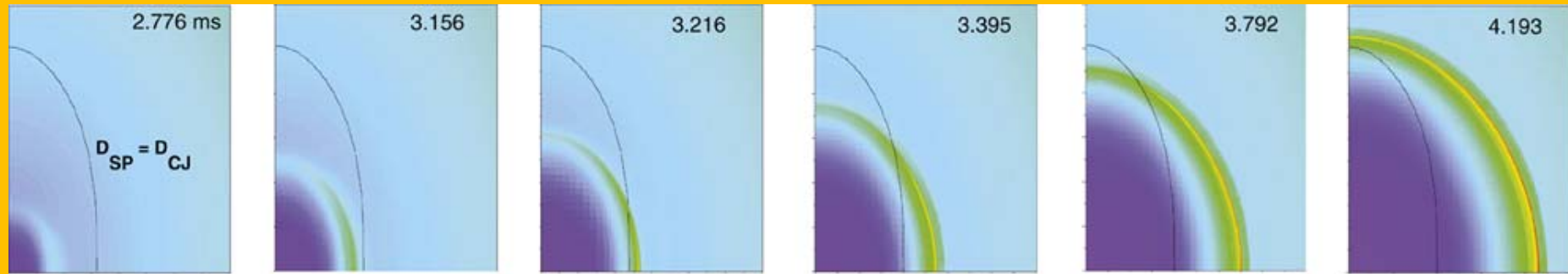
A suitable gradient of induction time of thermonuclear reactions requires well shaped gradients of temperature, density or composition.

Spontaneous Combustion Wave with velocity $D_{sp} = 1/\nabla\tau_i$

small τ_i



large τ_i



Oran & Gamezo 2007



Turbulence would create in some places the appropriate gradients.

Unconfined DDT ? The Zel'dovich Gradient Mechanism

Woosley (2009) obtained a DDT in 1D Linear Eddy Model simulation and concluded that the level of turbulence needed should be **20%** of sound speed.

Is such a level of turbulence realistic ?

Maybe through intermittency (Röpke 2007)

But strong turbulence may destroy the gradient itself ...
before the induction time.

In this context we propose a novel
approach...

Acoustic wave amplification in a density gradient

We considered another original approach :

- 1 Perturbations are produced in the flame,



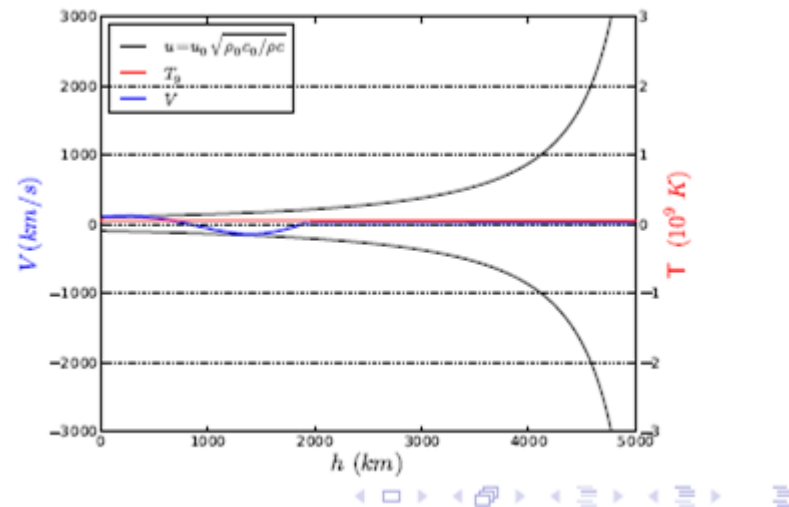
Sound waves :

- Energy carried :

$$F = \frac{1}{2} \rho u^2 C_s$$

- Flux conservation :

$$u(h) = u_0 \sqrt{\frac{\rho_0 C_{s,0}}{\rho C_s(h)}}$$



Acoustic wave amplification in a density gradient

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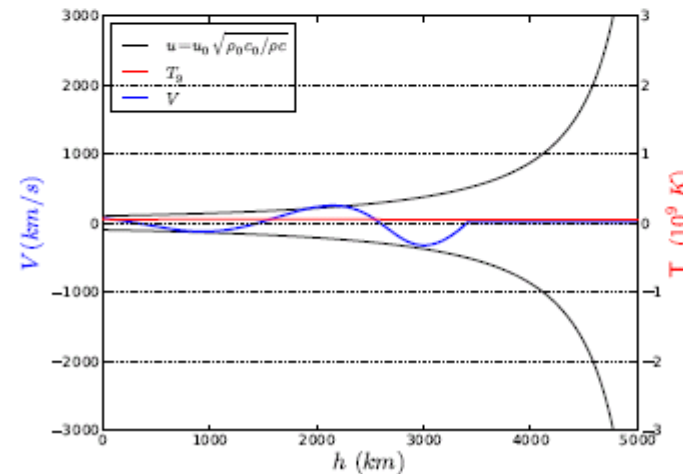
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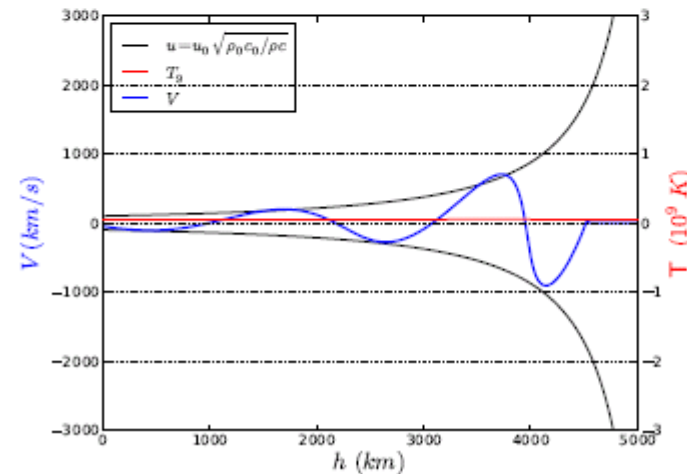
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Acoustic wave amplification in a density gradient

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- 3 degenerate into shocks and heat up the medium.

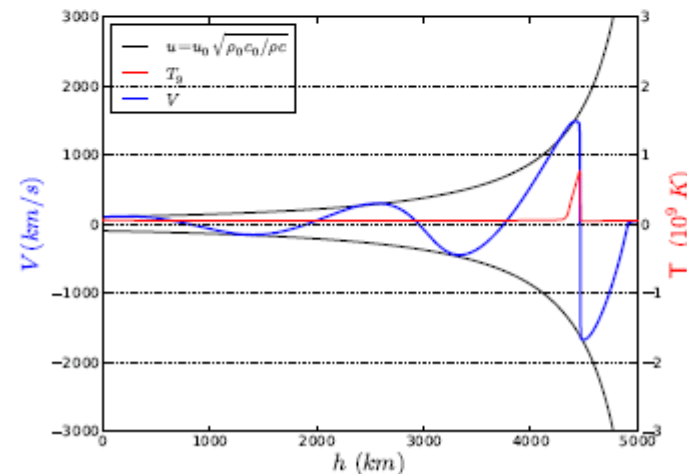
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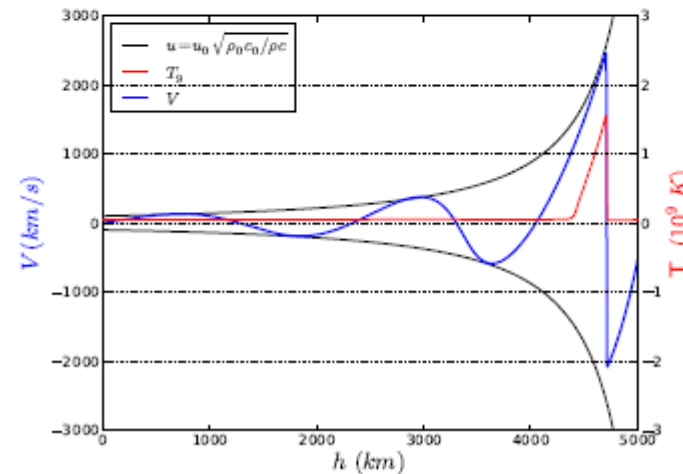
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Successful Detonation

We considered another original approach :

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- 4 If strong enough : a detonation can be ignited
(well ahead of the flame \Rightarrow **non local DDT**)

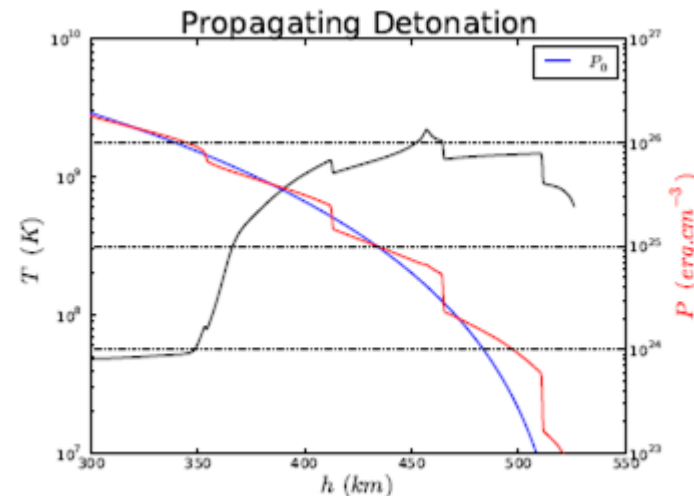
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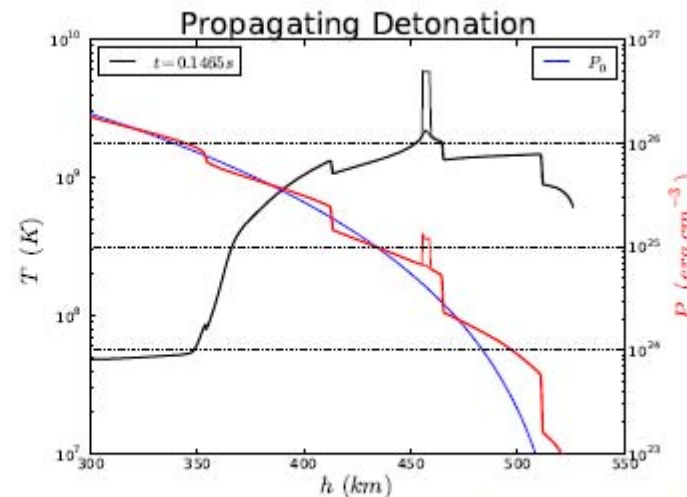
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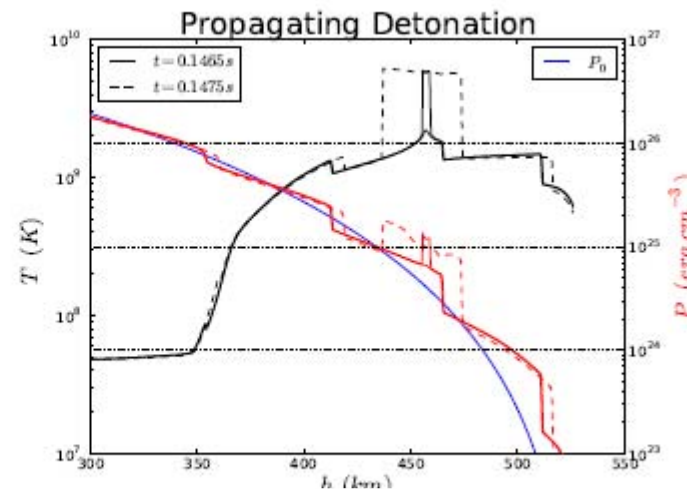
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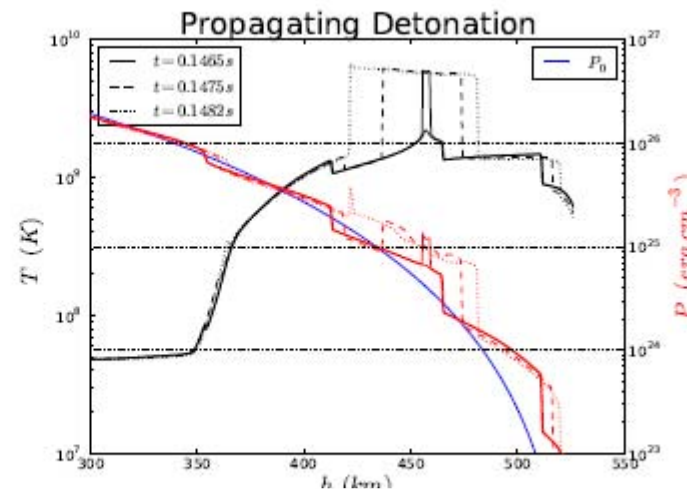
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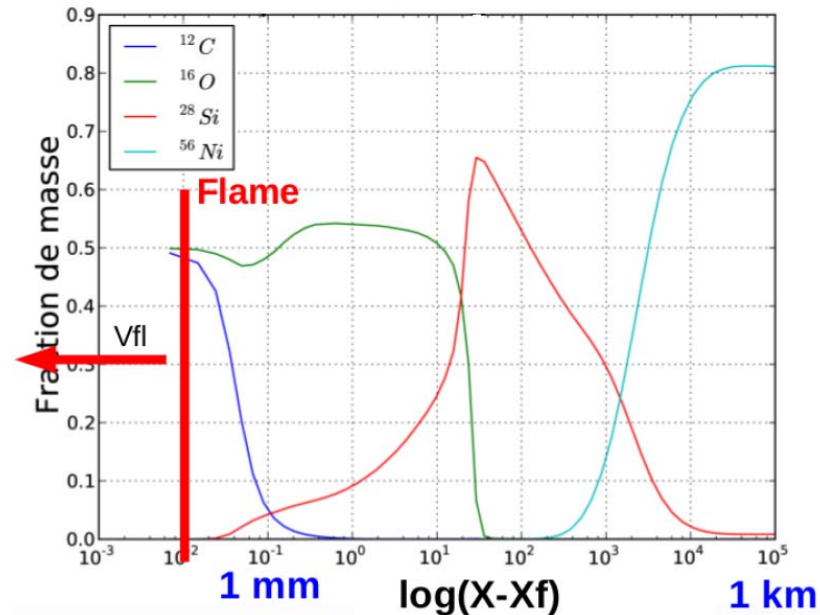
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Successful Detonation

High resolution (few μm) HD simulation with ASTROLABE (ALE)



3 Burning stages :
Carbon – Oxygen– Silicium burning

3 well separated reaction lengthes
C: 1 cm – O: 1 m – Si: 1 km

Ignition of the non local **TDD** is confirmed by a very high resolution calculation



Conclusion

- **We propose a new process able to initiate a detonation from a deflagration, based on the amplification of low amplitude acoustic waves in the density gradient of a white dwarf.**
- **A major input for this process is the spectrum and level of the acoustic noise produced by the turbulent flame.**
- **The non-local nature of this process may generate specific signatures in the SN Ia light curves, and may partly account for the diversity of these events.**

Thank you !