



Prospects for rare B decays at LHCb

*XIV Lomonosov Conference on Elementary Particle
Physics*

Nicola Serra on behalf of the **LHCb** collaboration

*"Imagine if Fitch and Cronin had stopped at the 1%
level, how much physics would have been missed"*

A. Soni

RDs: finding a needle in a haystack

$$B_s \rightarrow \mu\mu \quad (\text{Br} \sim 10^{-9})$$

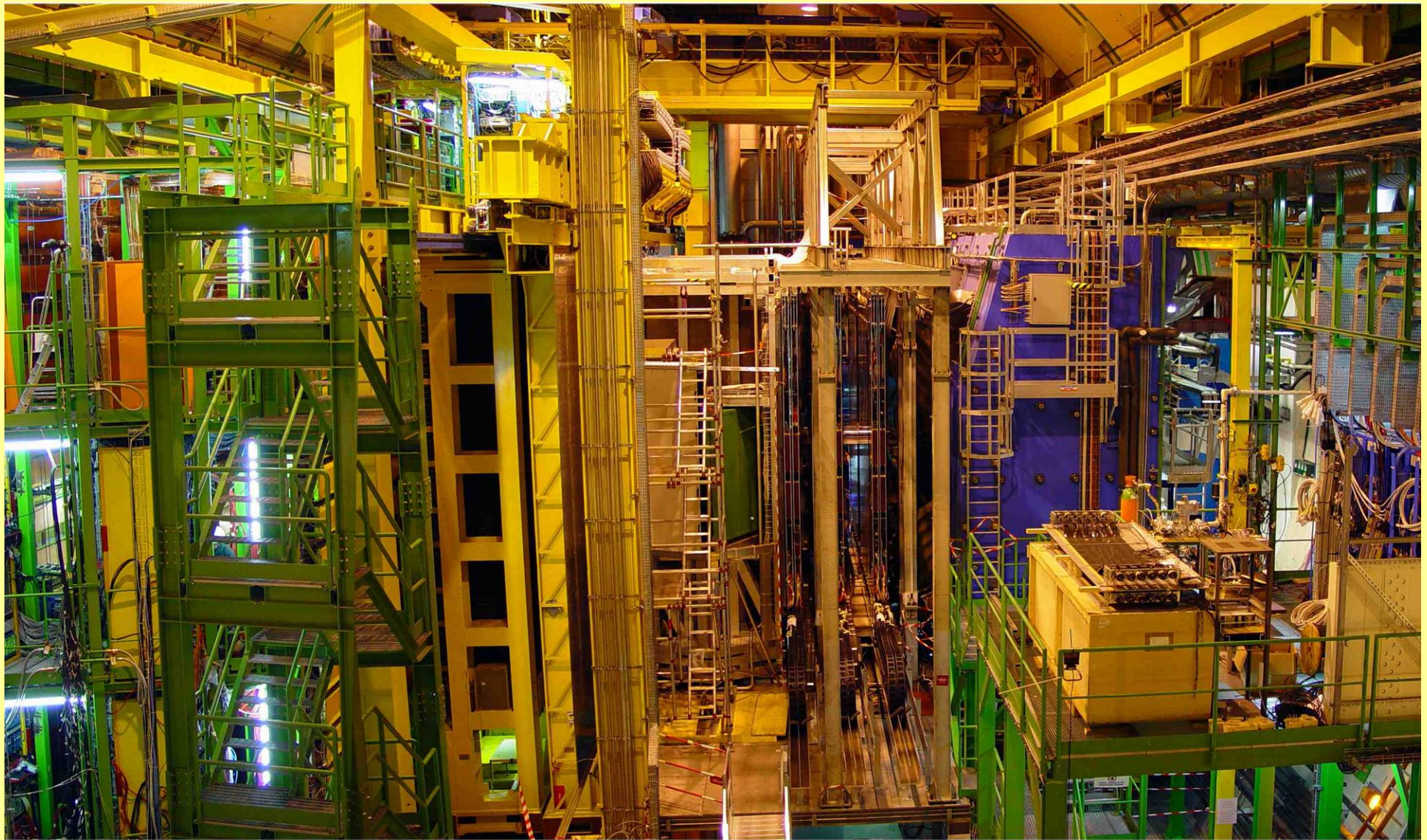


$$B_d \rightarrow K^* \mu\mu, \quad B_s \rightarrow \phi\gamma \\ (\text{Br} \sim 10^{-6(5)})$$

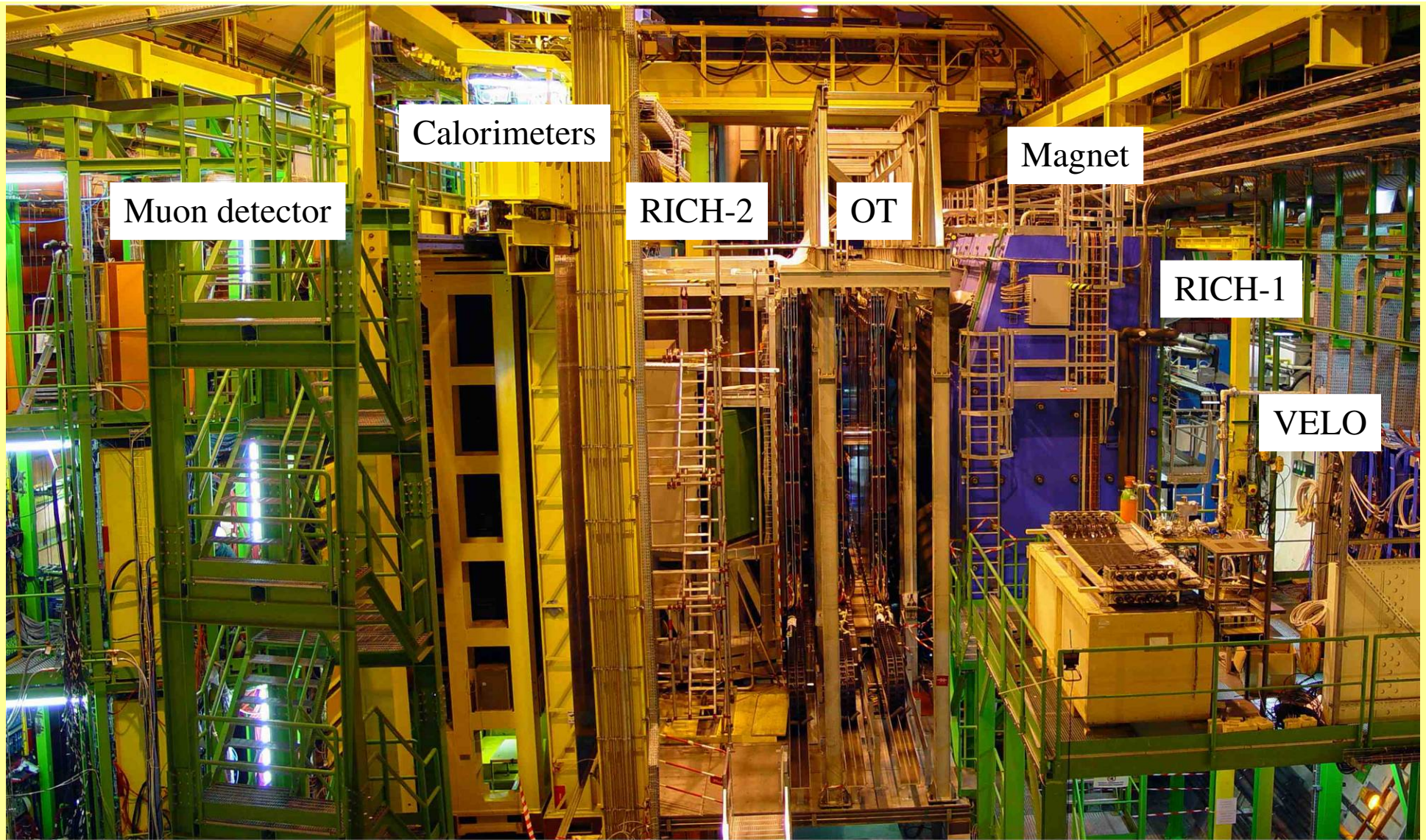


Some Other rare decays : $B_{s,d} \rightarrow e\mu$, $B_d \rightarrow K^* ee$

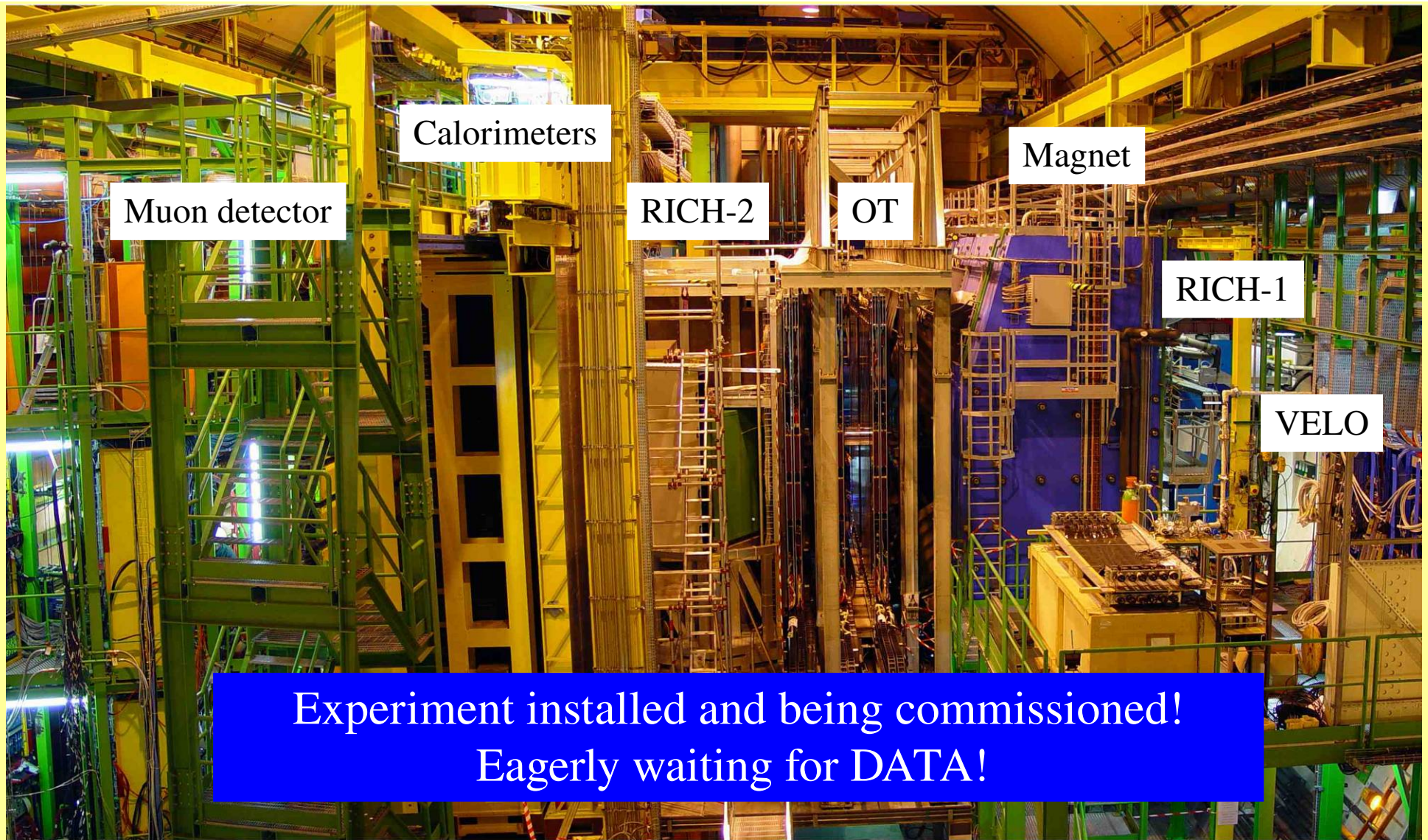
The LHCb detector



The LHCb detector

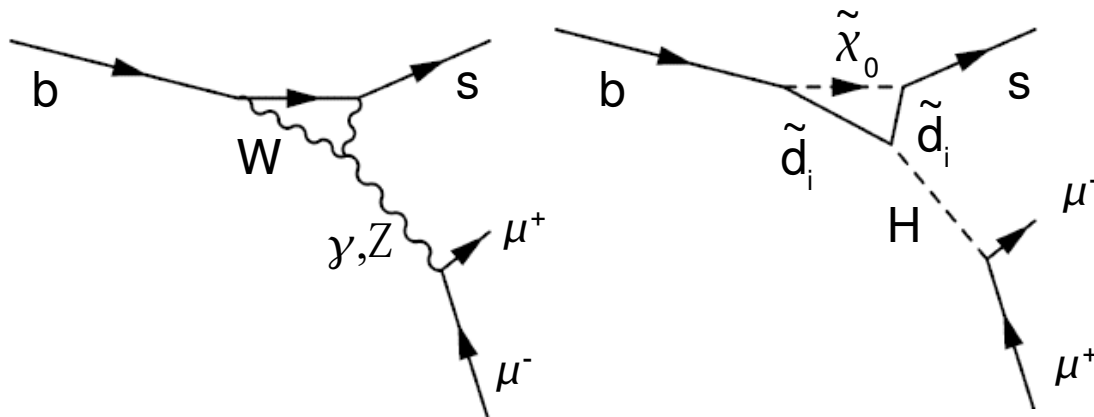


The LHCb detector



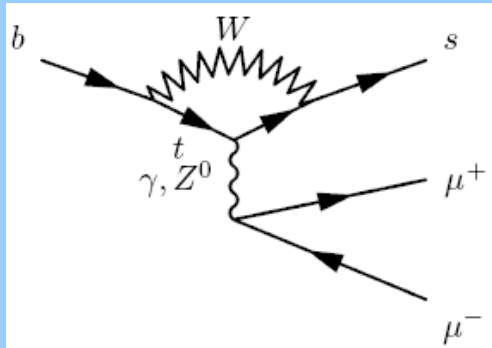
Introduction: (Semi)-leptonic B-decays

- Indirect searches are very promising for doing a precise test of SM in a model independent way;
- A FCNC NP contribution could be at the same level as SM contribution;
- NP virtual particles can vary amplitudes wrt SM expectations;
- The challenge is to find quantities which are theoretically clean and experimentally accessible.

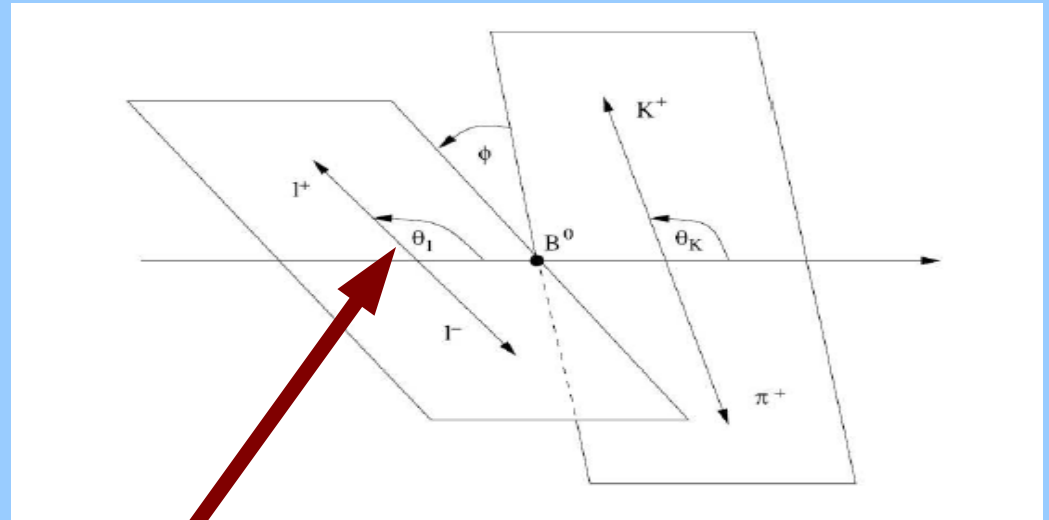


Angular observables in $B_d \rightarrow K^* \mu \mu$

Lowest order Feynman diagrams



Sensitive to several NP models!
(e.g. SUGRA with low $\tan\beta$,
MIA SUSY, Left-right symmetric models)



In the OPE formalism this decay is function of three coefficients:
 C_7, C_9, C_{10} (C_7', C_9', C_{10}').

$$H_{eff} = \frac{4G_F}{\sqrt{2}} V_{tb} \bar{V}_{ts} \sum_i \{ C_i O_i \}$$

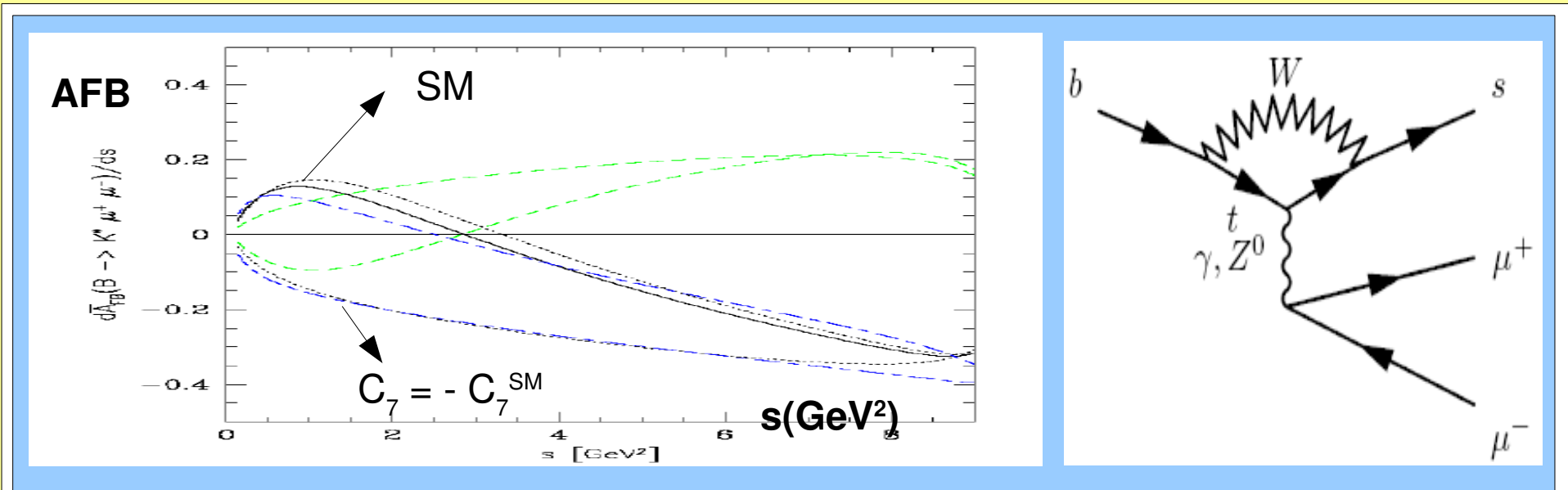
The most popular of these observables is the AFB:

$$AFB(s) = \frac{N_f(s) - N_b(s)}{N_f(s) + N_b(s)}$$

S = dimuon invariant mass squared.

The point where $AFB(s)=0$ is very well predicted.

AFB in $B_d \rightarrow K^* \mu \mu$



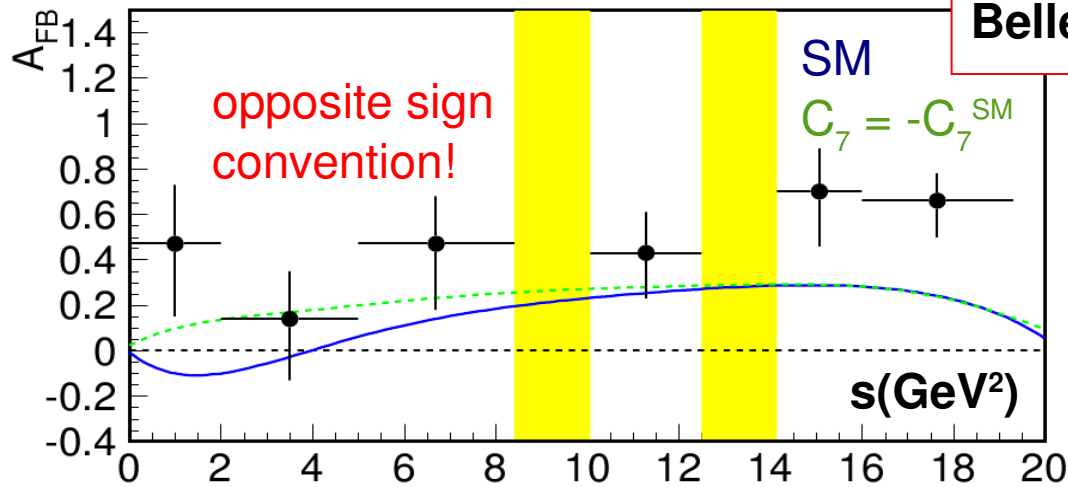
The AFB arise from the interference between the γ and the Z in the electroweak penguin.

$$AFB(s = m_{\mu\mu}) = C_{10} \xi(s) \left(\Re(C_9) F_1 + \frac{1}{s} F_2 C_7 \right)$$

The zero-crossing point is the most clean against theoretical uncertainty

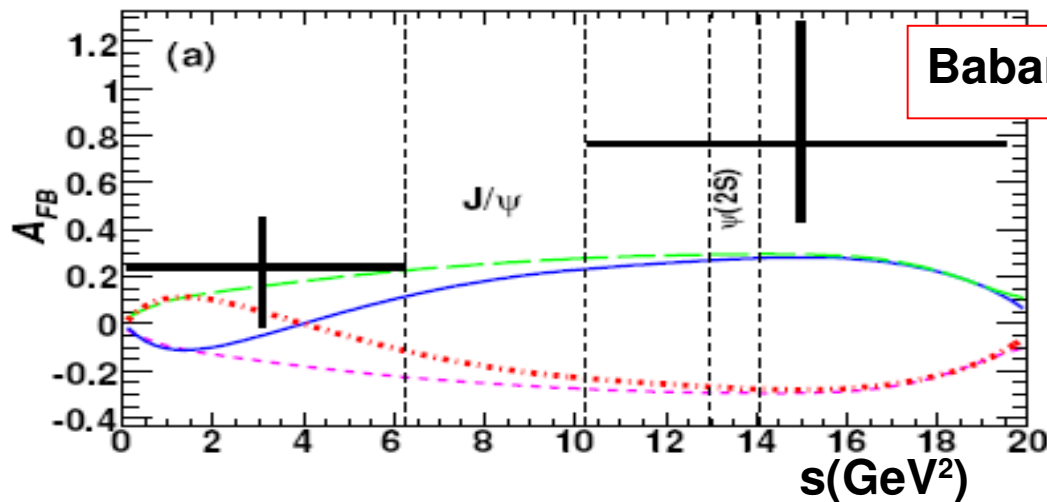
$$S_0^{SM} = 4.36_{-0.31}^{+0.33} GeV^2$$

Most recent Measurements



Belle: arXiv:0810.0335v1

Babar/Belle ~ O(100) events
 CDF ~ 20 events
 LHCb ~ 7200 events in 1 year

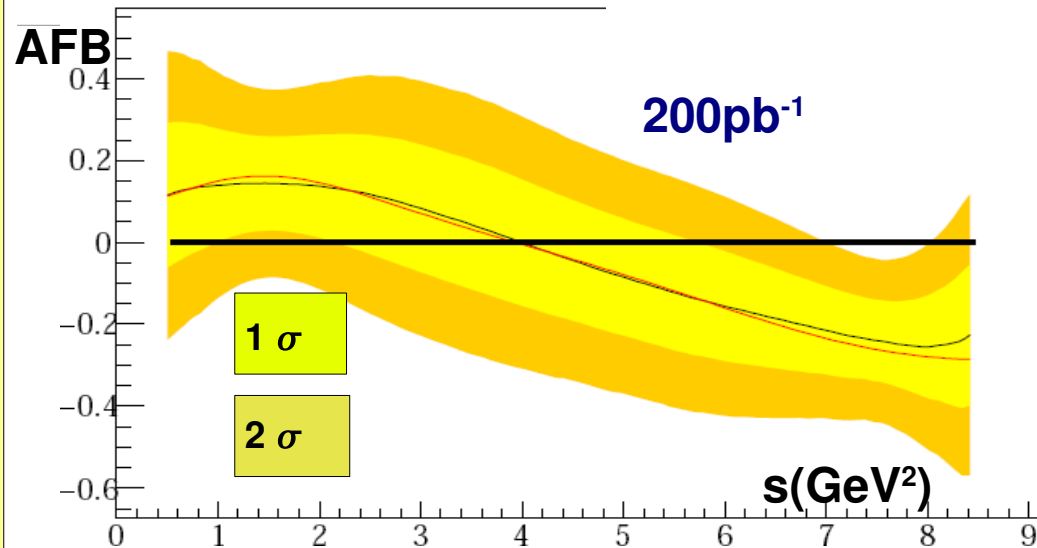
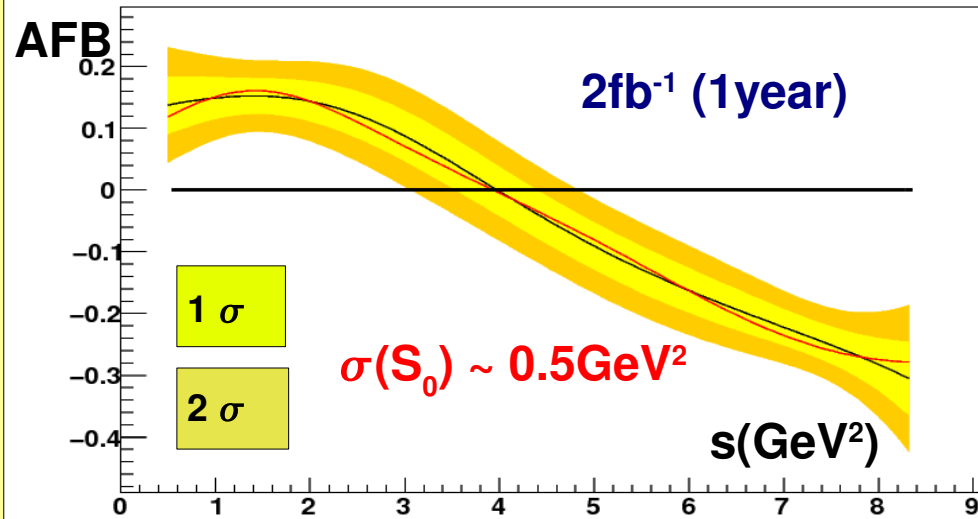


Babar: Phys.Rev. D73,092001,2006

No evidence of NP ... yet...

LHCb will collect the world largest data sample with (200-300)pb⁻¹

$B_d \rightarrow K^* (\rightarrow K^+ \pi^-) \mu^+ \mu^-$: LHCb expectation



- Different fit methods studied:
- Binned counting experiment
 - Unbinned counting experiment
 - 4D Unbinned Fit

Ongoing studies to correct for acceptance, using the control channel $B_d \rightarrow J/\psi (\rightarrow \mu^+ \mu^-) K^*$.

The robustest method will be use at the beginning (e.g counting experiment)

$B_d \rightarrow K^* \mu^+ \mu^-$: 4D fit (other asymmetries)

The I_i terms are functions of the amplitudes

$A_{\parallel}^{L,R}$, $A_{\perp}^{L,R}$ and $A_0^{L,R}$ (6 complex numbers, which depend on q^2).

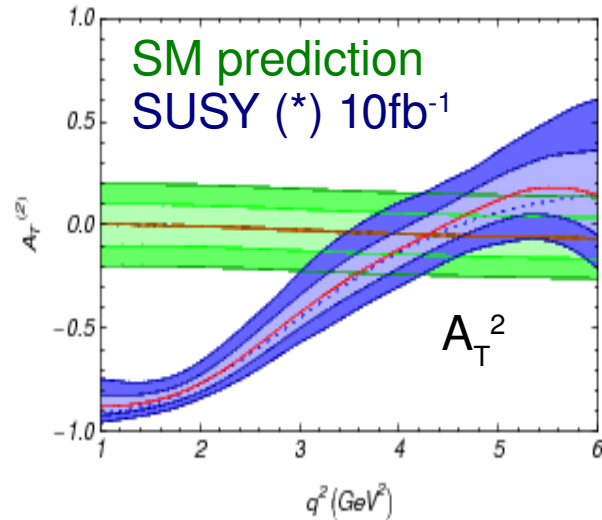
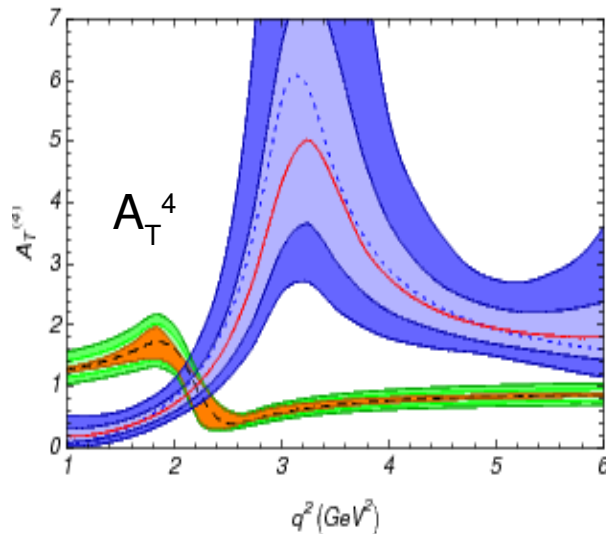
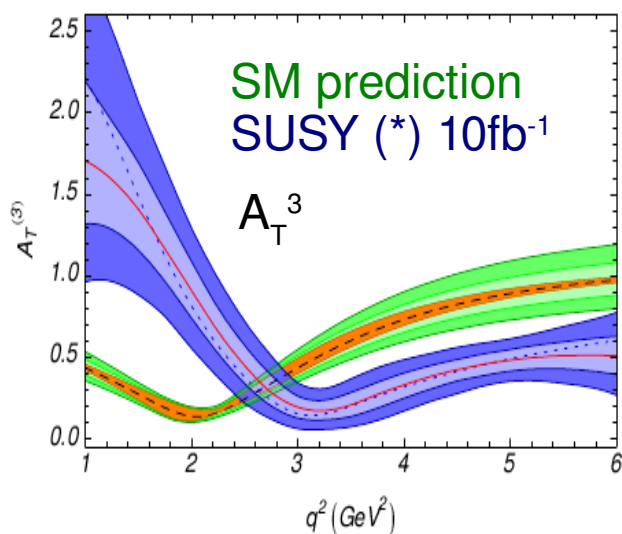
$$\frac{d^4 \Gamma_{\bar{B}_d}}{dq^2 d\theta_l d\theta_K d\phi} = \frac{9}{32\pi} I(q^2, \theta_l, \theta_K, \phi) \sin \theta_l \sin \theta_K$$

Better sensitivity wrt counting analysis.

More observables.

caveat: systematics more difficult to understand.

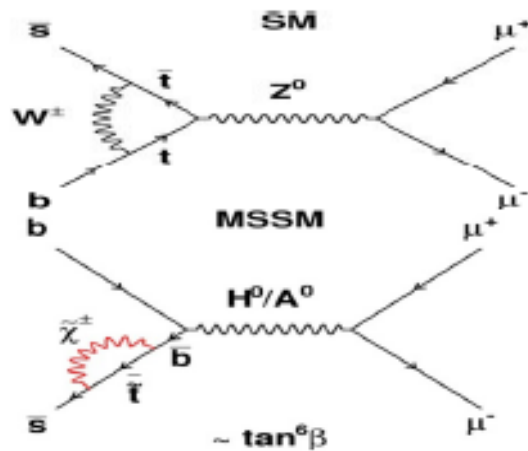
(*)SUSY (b) of
JHEP 0811:032,2008



$B_s \rightarrow \mu^+ \mu^-$: Branching Ratio

SM $\text{Br}(B_s \rightarrow \mu^+ \mu^-) = (3.5 \pm 0.32) \times 10^{-9}$

Sensitive to NP involving new (pseudo)scalar interactions e.g. models with 2Higgs doublets (like MSSM); For all MSSM models prop to $\tan^6 \beta$.



For high $\tan(\beta)$

$$\text{Br}^{\text{MSSM}}(Bq \rightarrow l^+ l^-) \propto \frac{m_b^2 m_l^2 \tan^6 \beta}{M_{A0}^4}$$

In NUHM (which includes mSugra)

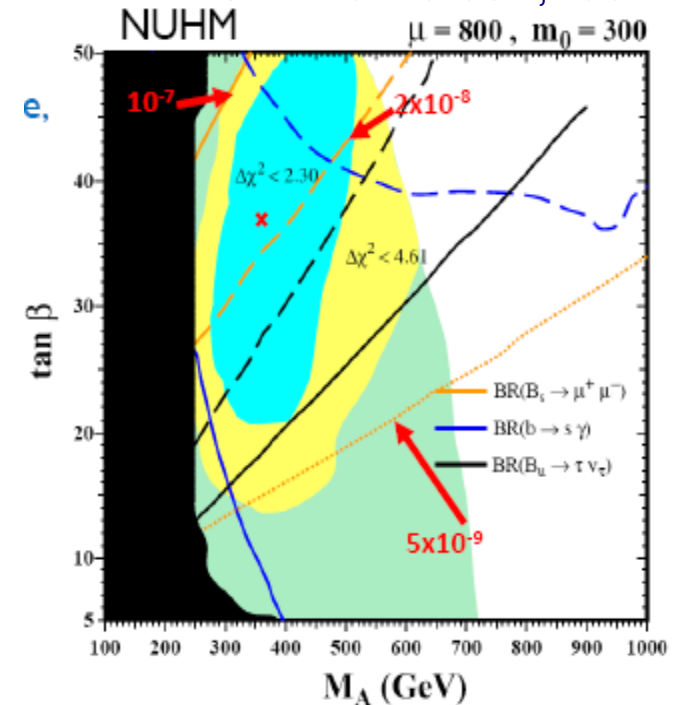
Preferred value:

$$\text{Br}(B_s \rightarrow \mu^+ \mu^-) \sim 2.0 \cdot 10^{-8}$$

Possible explanation of 3.4σ discrepancy in $(g_\mu - 2)$

J.Ellis et al.:

JHEP0710:092,2007



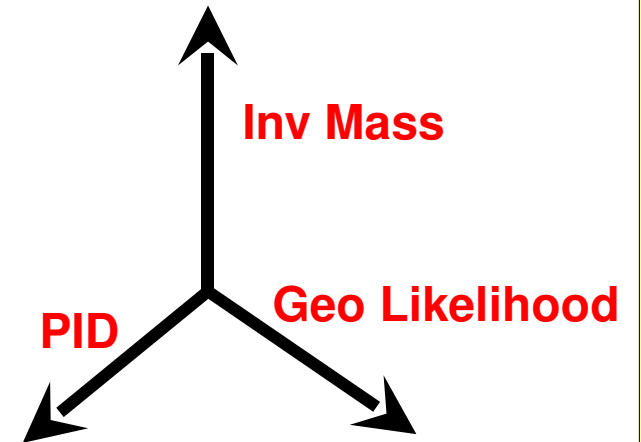
Limits of Tevatron at 90%:

$4.5 \cdot 10^{-8}$ present

$2.0 \cdot 10^{-8}$ expected final

$B_s \rightarrow \mu^+\mu^-$: Analysis Strategy

- **Soft Preselection**
- **Selection:**
 - **Geometrical Likelihood (5 Geo Variables)**
 - **PID**
 - **Invariant Mass**



Modified Frequentist approach for BR extraction
<http://doc.cern.ch/yellowrep/2000/2000-005/p81.pdf>

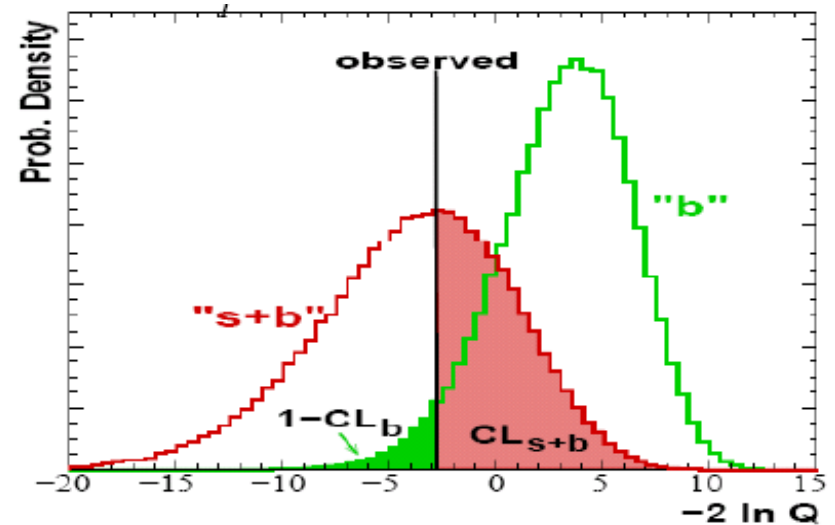
s_i = expected signal events in bin
 b_i = expected bkg. events in bin
 d_i = measured events in bin

$$X_i = \frac{\text{Poisson}(d_i, < d_i \geq s_i + b_i)}{\text{Poisson}(d_i, < d_i \geq b_i)} \quad X = \prod X_i$$

$$CL_{s+b} = P_{s+b}(X \leq X^{\text{OBSERVED}})$$

$$CL_b = P_b(X \leq X^{\text{OBSERVED}})$$

$$CL_{s+b} = CL_b * CL_s$$



BR exclusion at 90 % if $CL_s(BR) \leq 10 \%$

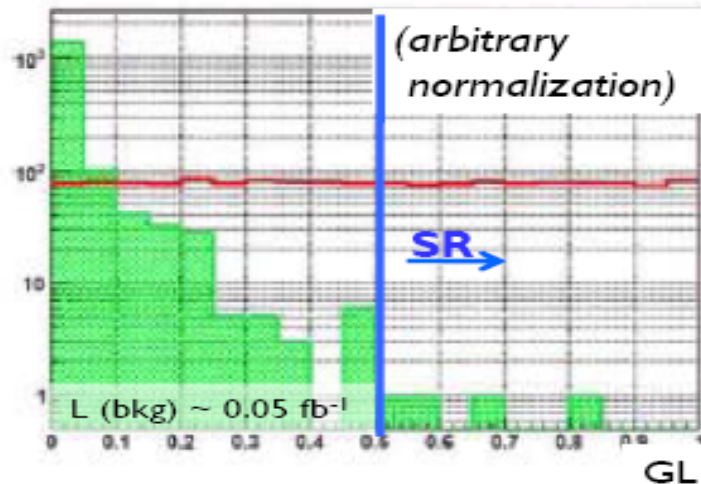
Signal, Bg and Control Channels

Main background consist of two muons coming from different b-decays ($b\text{-}\bar{b}\text{-}\mu^+\mu^-$).

Many other specific bg analyzed

($B \rightarrow hh, B \rightarrow J/\psi \mu\nu, \dots$) and found to be negligible

Geometrical likelihood distribution



$$BR = \frac{BR_{cal} \cdot \epsilon_{cal}^{REC} \epsilon_{cal}^{SEL} \epsilon_{cal}^{TRIG} \epsilon_{cal}^{SEL}}{\epsilon_{sig}^{REC} \epsilon_{sig}^{SEL} \epsilon_{sig}^{TRIG} \epsilon_{sig}^{SEL}} \cdot \frac{f_{cal}}{f_{B_s}} \cdot \frac{N_{sig}}{N_{cal}}$$

Hadronization fraction
($f_{B_s} = P(b \rightarrow B_s)$)

Main source of uncertainty (~13 %) for normalization with $B^+ \rightarrow J/\psi K^+$ (or any other B^+/B_d channel)

We use a double ratio of control channels to account for the extra-track.

$$R1 = (B_s \rightarrow \mu^+\mu^-) / (B^+ \rightarrow J/\psi K^+)$$

$$R2 = (B^+ \rightarrow J/\psi K^+) / (B_d \rightarrow J/\psi K^+)$$

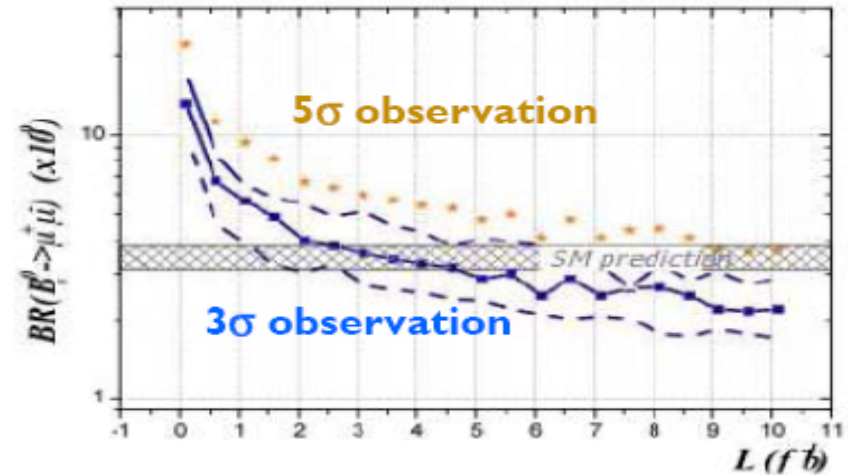
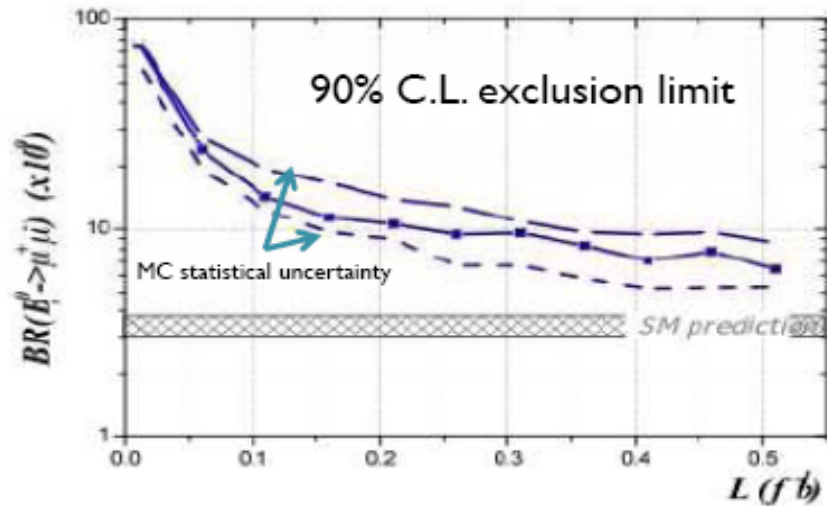
Invariant Mass calibration with the control channels $B_s \rightarrow KK$ and $B_d \rightarrow \pi\pi$;

Geometrical likelihood calibration with $B_{(s)} \rightarrow h^+h^-$;

PID likelihood calibration with $J/\psi \rightarrow \mu^+\mu^-$ and with $\Lambda \rightarrow p\pi$;

BR Normalization with the two channels $B^+ \rightarrow J/\psi K^+$ and $B_d \rightarrow J/\psi K^+$;

$B_s \rightarrow \mu^+ \mu^-$: expected results



Exclusion at 90% CL:

- Tevatron expected final limit reached @ 200pb^{-1}
- Reach SM prediction with @ 2fb^{-1}

Observation:

- 5 σ observation of $BR \sim 2 \times 10^{-8}$ @ 500pb^{-1}
- 3 σ observation of SM BR @ 3fb^{-1}
- 5 σ observation of SM BR @ 10fb^{-1}

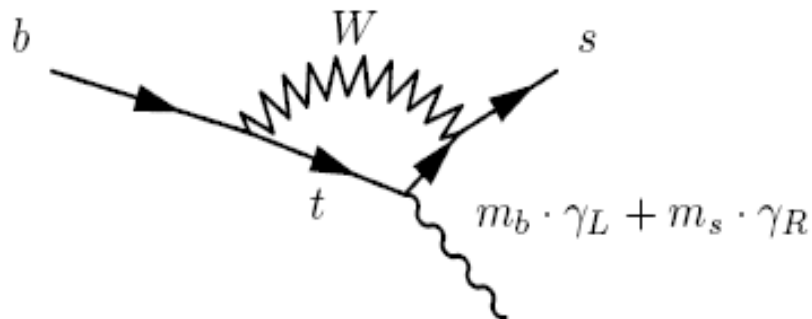
$$Br(B_s \rightarrow \mu^+ \mu^-) = (3.35 \pm 0.32) \times 10^{-9}$$

Channel	Yield (2fb^{-1})	B
$B_s \rightarrow \mu^+ \mu^-$	21 (SM)	180^{+140}_{-80}

Photon Polarization in $B_s \rightarrow \Phi \gamma$

Photon polarization is sensitive to V-A structure

Photon polarization can be measured by time dependent analysis



Dominated by the C_7 Wilson coefficient.

- In the SM, the photon is mostly **LEFT**-handed in **b** decays and **RIGHT**-handed for anti-**b** decays.
- Presence of NP can modify the handedness of the photon.

$B_s \rightarrow \Phi \gamma$ observed by BELLE at the $Y(5s)$
(*Phys. Rev. Lett.* **100**, 121801 (2008)):

$$\text{Br}(B_s \rightarrow \Phi \gamma) = 57^{+18}_{-15} \text{ (stat)} \quad ^{+12}_{-11} \text{ (syst)} \cdot 10^{-6}$$

SM prediction:

$$\text{Br}(B_s \rightarrow \Phi \gamma) = (39.4 \pm 10.7 \pm 5.4) \cdot 10^{-6}$$

$B_s \rightarrow \Phi \gamma$: what to measure

Signal yield ($B_s \rightarrow \Phi (\rightarrow K^+ K^-) \gamma$) : 7700 in 2fb^{-1} (1 year of LHCb)
Background events (in 2fb^{-1}) < 4700 (LHCb-2007-147).

Time dependent decay rate for B/anti-B : [arXiv:0802.0876v1](https://arxiv.org/abs/0802.0876v1)

$$B/\bar{B}(t) = B_0 e^{-\Gamma t} \left\{ \cosh\left(\frac{\Delta\Gamma}{2}t\right) - H \cdot \sinh\left(\frac{\Delta\Gamma}{2}t\right) \pm C \cdot \cos(\Delta m_s t) \mp S \cdot \sin(\Delta m_s t) \right\}$$

Free parameters: C, S and H

To measure the parameters C and S the knowledge of the initial B-flavor is needed.

For the measurement of H (possible thanks to $\Delta\Gamma_s \neq 0$)
no-flavor tagging is needed.

H sensitive to right handed currents.

$$H \simeq \sin(2 \cdot \psi), \quad \text{tg}(\psi) = \frac{A_R}{A_L} \quad \text{SM prediction: } \frac{A_R}{A_L} \sim 0.04$$

Sensitivity 2fb^{-1}

$$\sigma_H \sim 0.2$$

$$\sigma(A_R/A_L) \sim 0.1$$

Some other RDs: $B_d \rightarrow K^* e^+ e^-$

Another way for accessing the photon polarization in $b \rightarrow s \gamma$ is by measuring the the virtual photon in $B_d \rightarrow K^* e^+ e^-$ (possible thanks to the low electron inv mass).
The region where the γ is quasi-real is inaccessible in $B_d \rightarrow K^* \mu^+ \mu^-$.

Full angular analysis

$$\frac{d\Gamma}{dq^2 d \cos \Theta_\ell d \cos \Theta_K d\phi} = \frac{9}{32\pi} [I_1(\cos \Theta_K) + I_2(\cos \Theta_K) \cos 2\Theta_\ell + I_3(\cos \Theta_K) \sin^2 \Theta_\ell \cos 2\phi + I_9(\cos \Theta_K) \sin^2 \Theta_\ell \sin 2\phi]$$

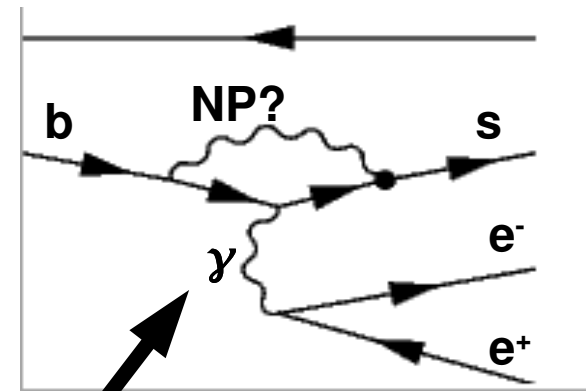
$$I_1(\cos \Theta_K) = \frac{3}{4}(1 - F_L) \times (1 - \cos^2 \Theta_K) + F_L \times \cos^2 \Theta_K$$

$$I_2(\cos \Theta_K) = \frac{1}{4}(1 - F_L) \times (1 - \cos^2 \Theta_K) - F_L \times \cos^2 \Theta_K$$

$$I_3(\cos \Theta_K) = \frac{1}{2}(1 - F_L) \times A_T^{(2)} \times (1 - \cos^2 \Theta_K)$$

$$I_9(\cos \Theta_K) = A_{Im} \times (1 - \cos^2 \Theta_K)$$

$$A_T^{(2)} \sim \frac{2 \cdot A_R}{A_L} \quad SM \text{ prediction: } \frac{A_R}{A_L} \sim 0.04$$



SM: $m_b \gamma_L + m_s \gamma_R$

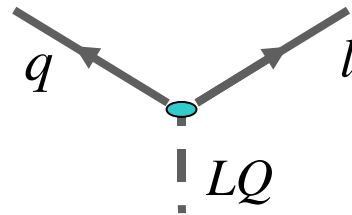
$N_{sig} \sim 500$ in $2fb^{-1}$ (1 nominal year) $\rightarrow \sigma(A_T^{(2)}) \sim 0.2 \rightarrow \sigma(A_R/A_L) \sim 0.1$

Competitive with $B_s \rightarrow \phi \gamma$

Some other RDs: $B_{s,d} \rightarrow e\mu$

LFV decay forbidden by the SM, but is allowed by some extensions of the SM involving Lepto-Quarks, as the Pati-Salam SU(4) model. It explain why quarks experience the strong force and lepton do not.

$$\begin{pmatrix} u_R & u_G & u_B & \nu_l \\ d_R & d_G & d_B & l \end{pmatrix}$$



Lepton number thought as the fourth colour.

CDF limits:

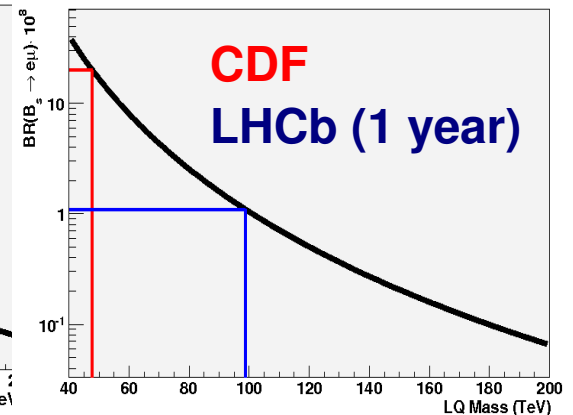
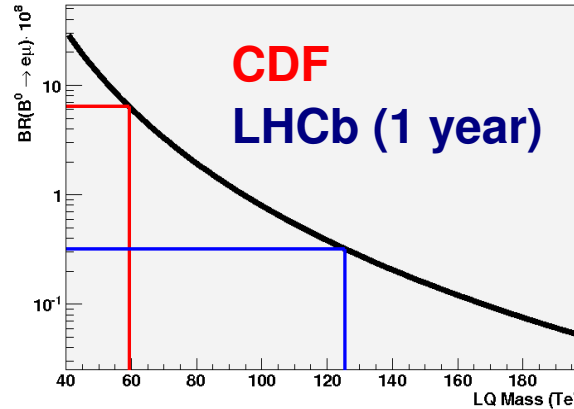
$$Br(B_d \rightarrow e^\pm \mu^\mp) < 6.4 \cdot 10^{-8} \text{ at } 90\% \text{ CL}$$

$$Br(B_s \rightarrow e^\pm \mu^\mp) < 2.0 \cdot 10^{-7} \text{ at } 90\% \text{ CL}$$

LHCb limits in 1 year

$$Br(B_s \rightarrow e^\pm \mu^\mp) < 1.1 \cdot 10^{-8} \text{ in } 2 \text{ fb}^{-1} \text{ at } 90\% \text{ CL}$$

$$Br(B_d \rightarrow e^\pm \mu^\mp) < 3.2 \cdot 10^{-9} \text{ in } 2 \text{ fb}^{-1} \text{ at } 90\% \text{ CL}$$



Limit can improve with a multidimensional analysis (ongoing study)

Other ongoing studies

Some other RDs I have not mentioned
(ongoing studies in LHCb):

Other semileptonic decays:

- $B_s \rightarrow \phi \mu \mu$

- $B \rightarrow K l^+ l^-$

Other radiative decays:

- $\Lambda_b \rightarrow \Lambda \gamma$

- $B_d \rightarrow K^* \gamma$

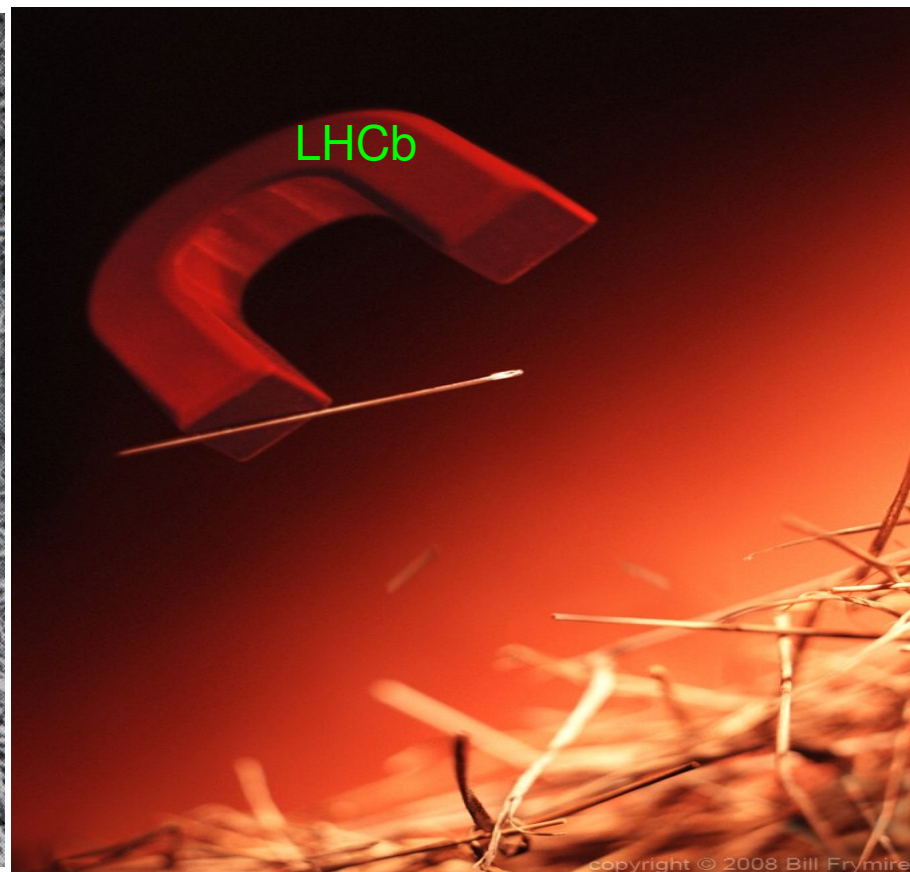
Rare D-decays:

- $D \rightarrow \mu \mu, D \rightarrow e \mu, D \rightarrow V \mu \mu$

Conclusions:

- RDs allow for testing NP in model independent way:
Left-Right symmetric models, NUHM (\supset mSugra)
with large/small $\tan\beta$;
- Combining different measurements allows us to understand NP;
- LHCb can significantly improve present knowledge of FCNC.
(in particular for (semi)-leptonic and radiative decays).
- The challenge is now to control systematics and to achieve
MC results with real data.

How difficult is it to find a needle in a haystack?



Depends on how you do it!

"Imagine if Fitch and Cronin had stopped at the 1% level, how much physics would have been missed"
A. Soni

Questions

